

Thermodynamics I

Chapter 2 *Properties of Pure Substances*

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Pure Substance

- ◆ Fixed chemical composition throughout
- ◆ There are three phases
 - Solid
 - Liquid
 - Gas
- ◆ Phase can be changed from one to another.



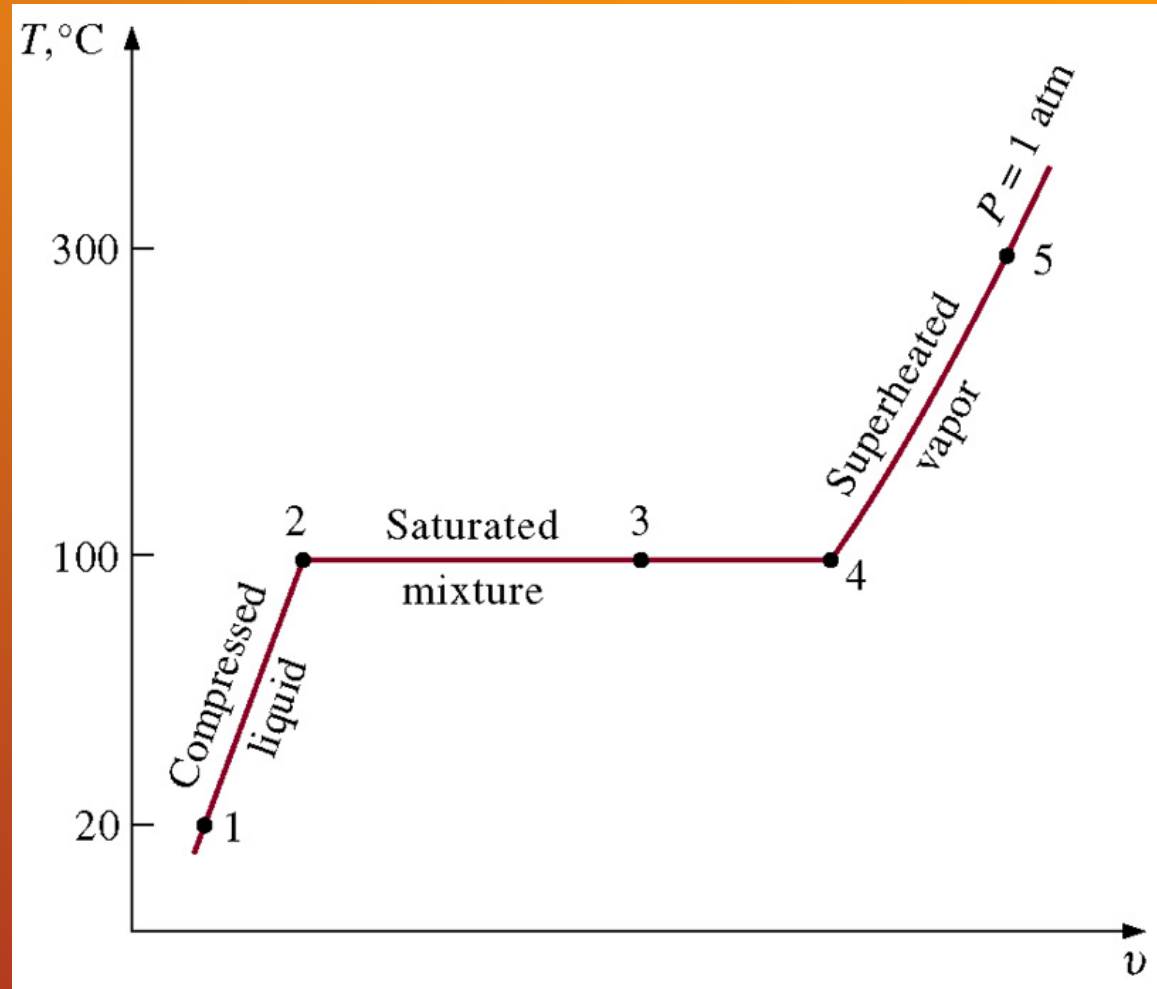
Phase-Change Processes of Pure Substances

- ◆ **Compressed Liquid** :- not about to vaporize
- ◆ **Saturated Liquid** :- about to vaporize
- ◆ **Saturated Vapor** :- about to condense
- ◆ **Saturated Liquid-Vapor Mixture** :- liquid and vapor phases coexist
- ◆ **Superheated vapor** :- not about to condense



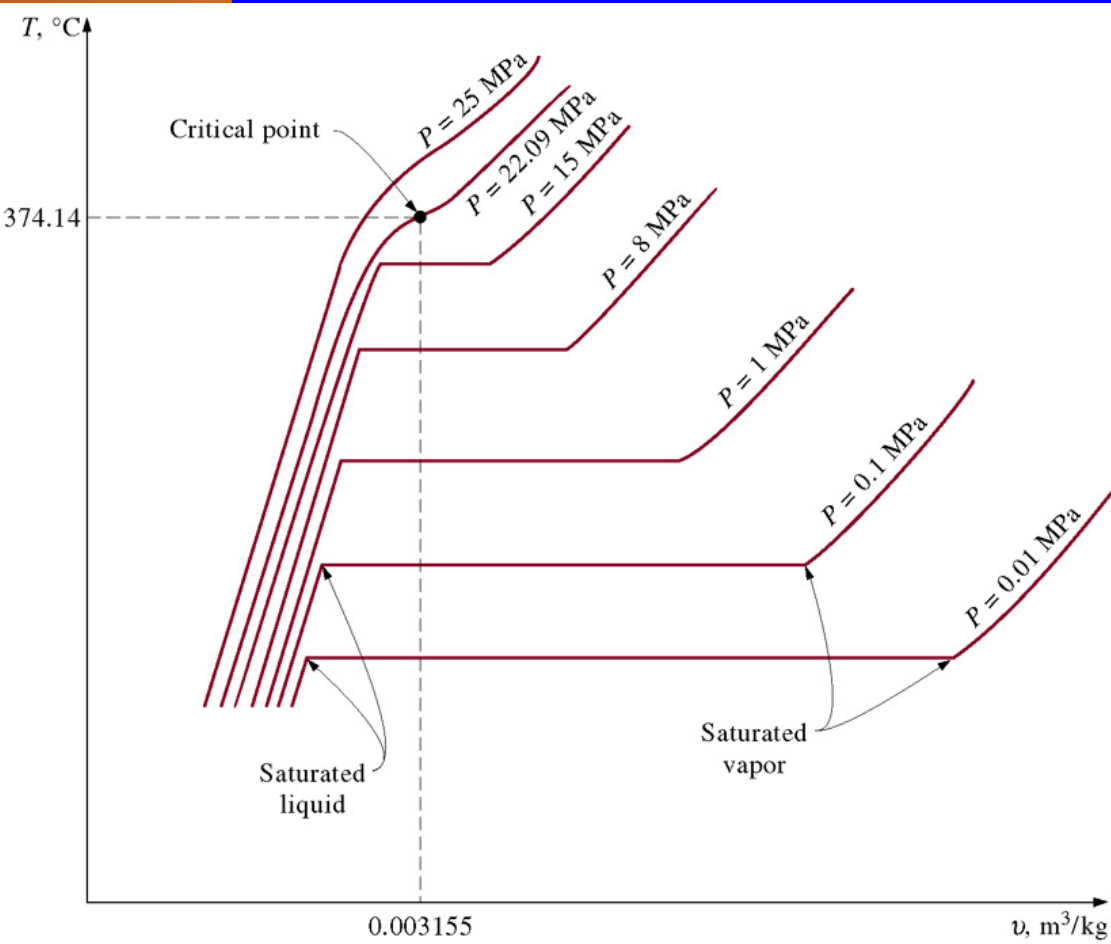
Phase-Change Processes of Pure Substances

T-v diagram
for the heating
process of
water at
constant
pressure.





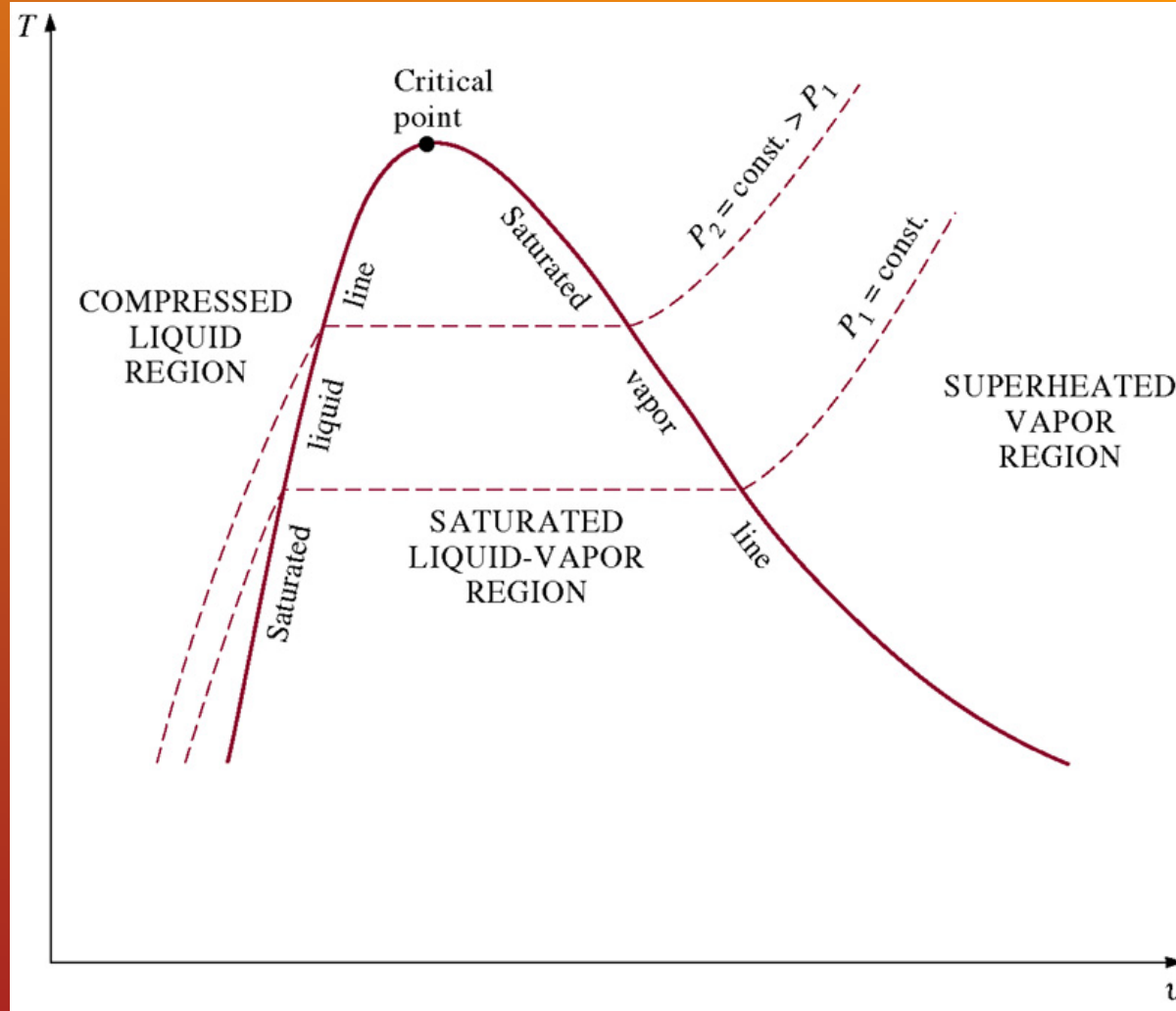
Property Diagrams for Phase-Change Processes



- Critical point (*the point at which the saturated liquid and saturated vapor states are identical*)
- Saturated liquid line
- Saturated vapor line
- Compressed liquid region
- Superheated vapor region
- Saturated liquid-vapor mixture region or wet region

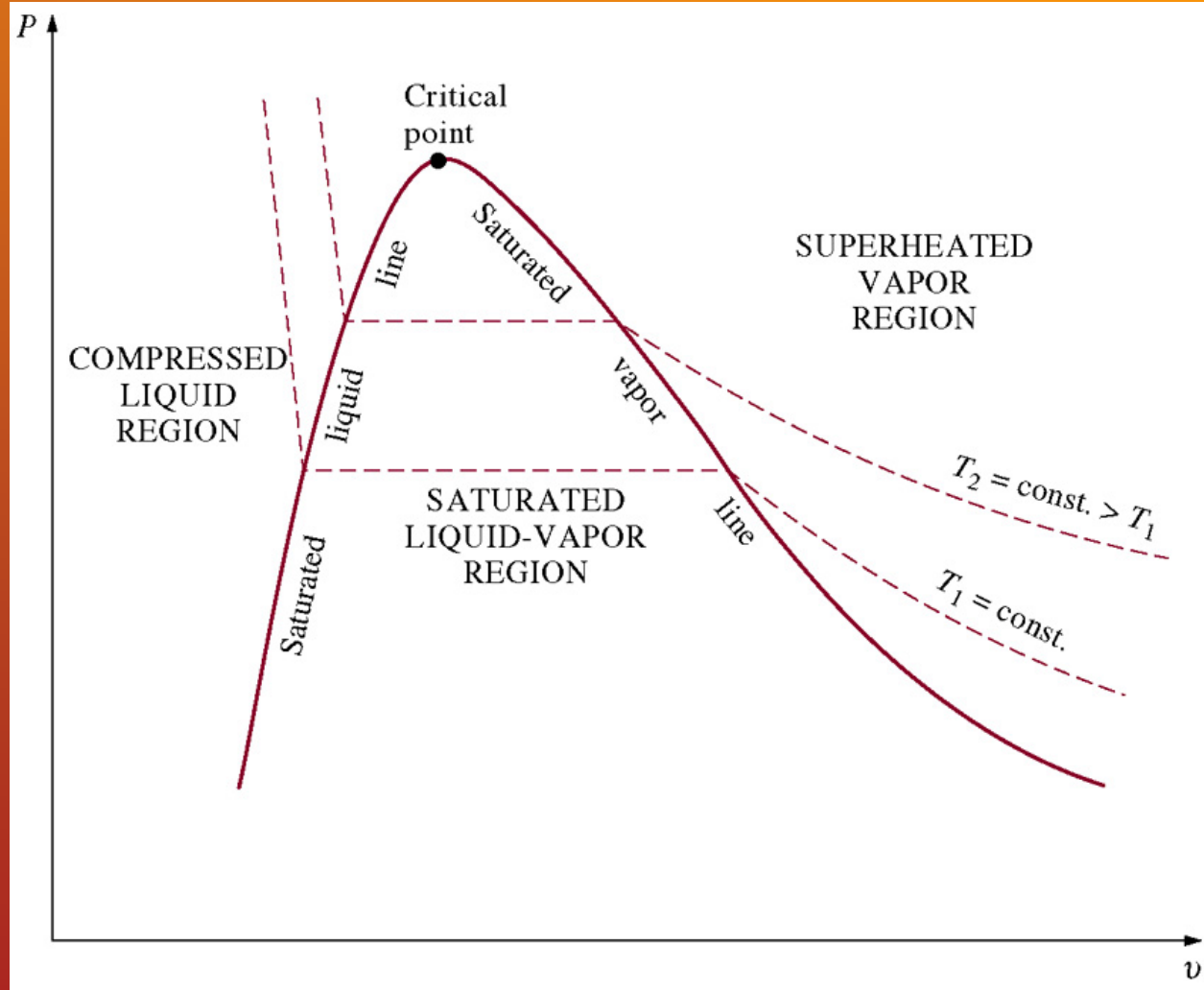


Property Diagrams for Phase-Change Processes :: T - v Diagram





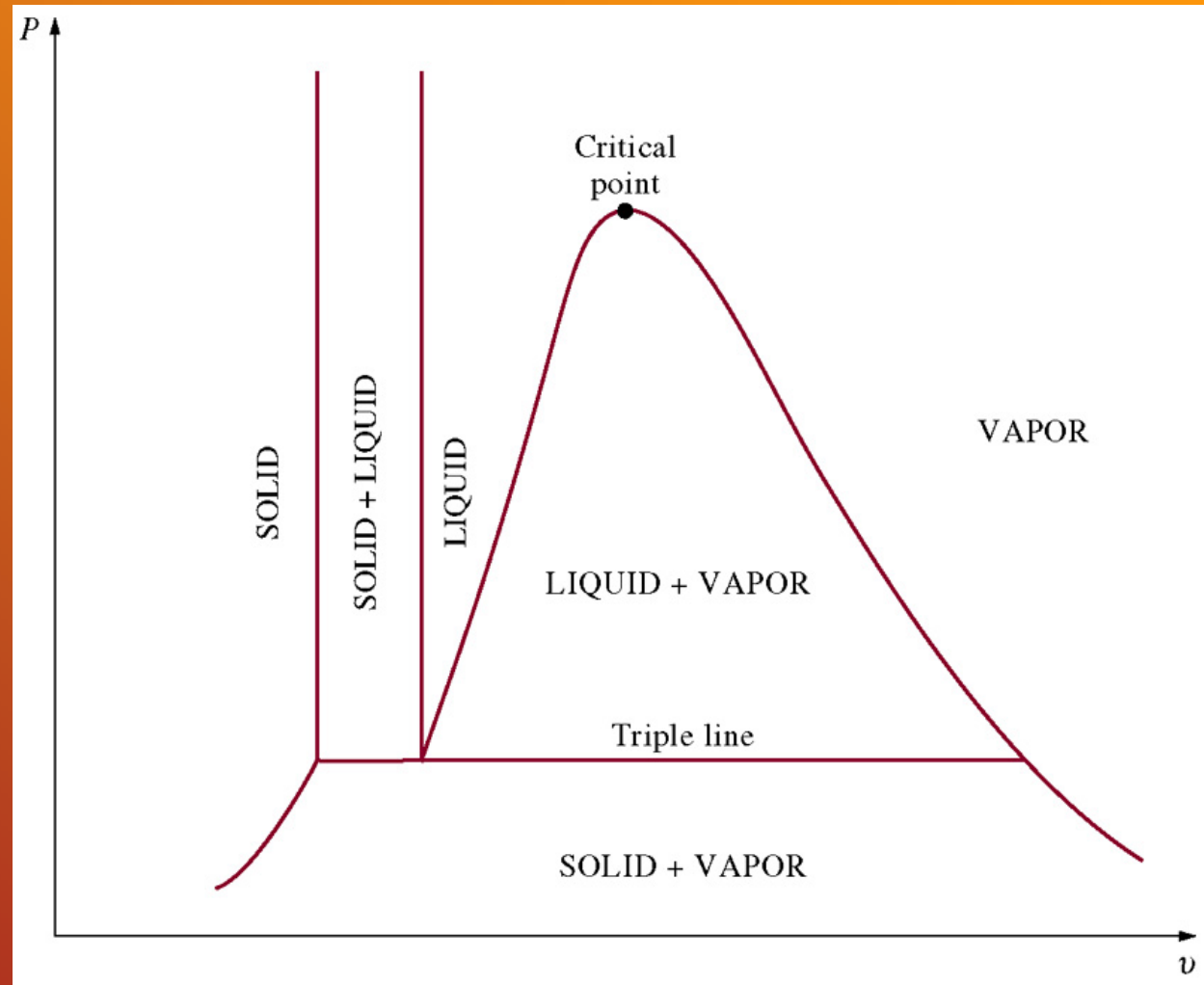
Property Diagrams for Phase-Change Processes :: P - v Diagram





Property Diagrams for Phase-Change Processes :: P - v Diagram

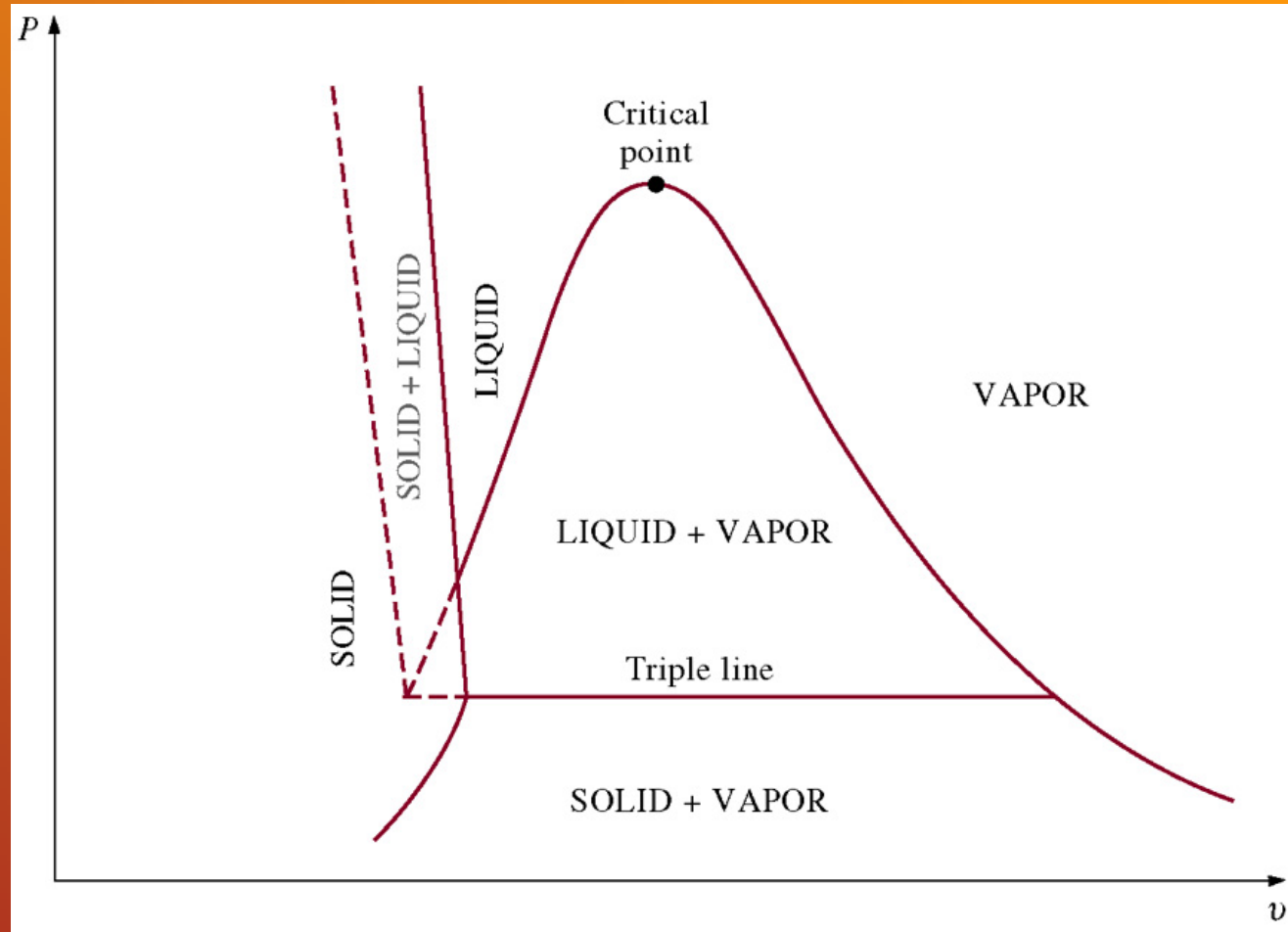
P - v diagram of a substance that contracts on freezing.





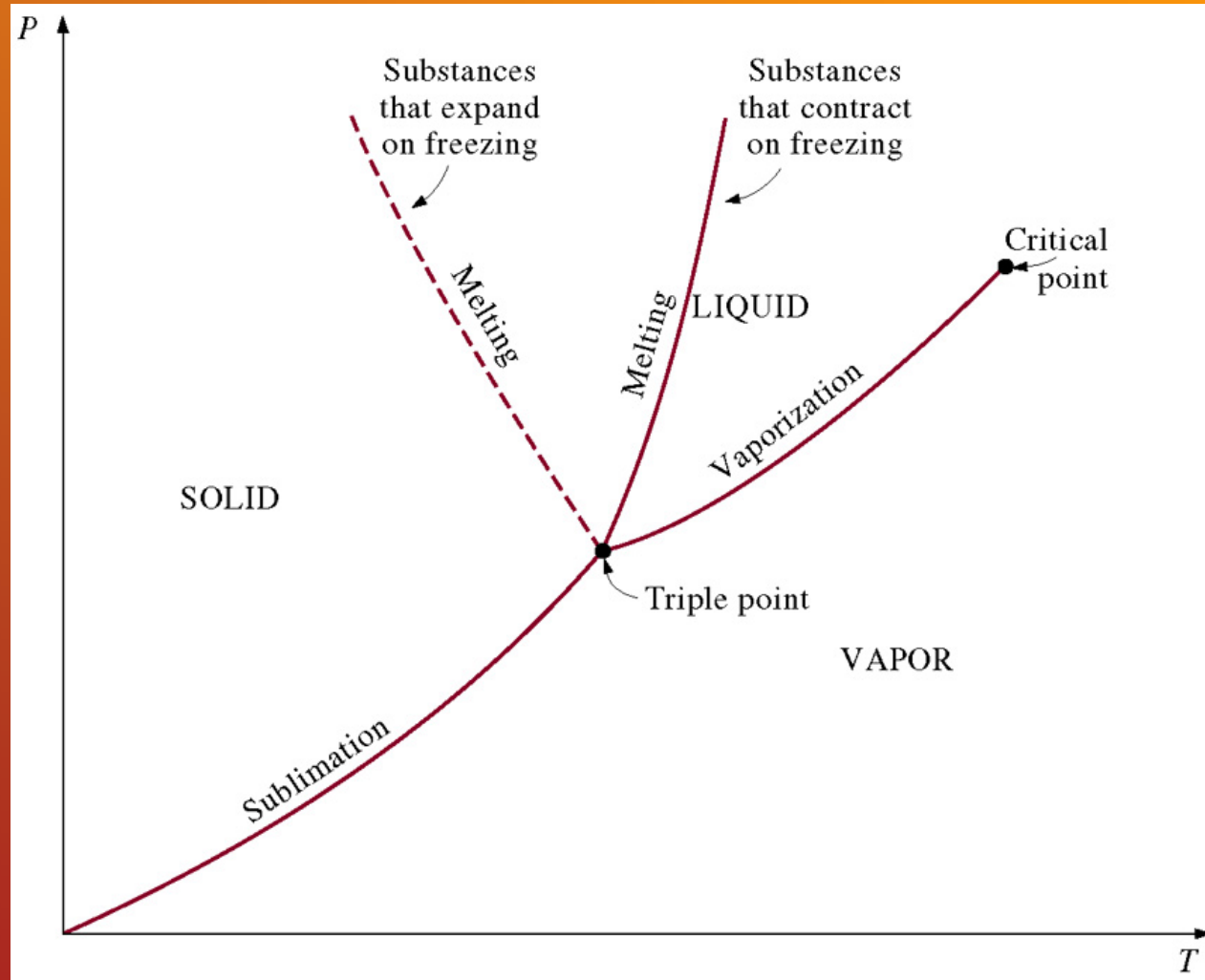
Property Diagrams for Phase-Change Processes :: P - v Diagram

P - v diagram of a substance that expands on freezing (such as water).





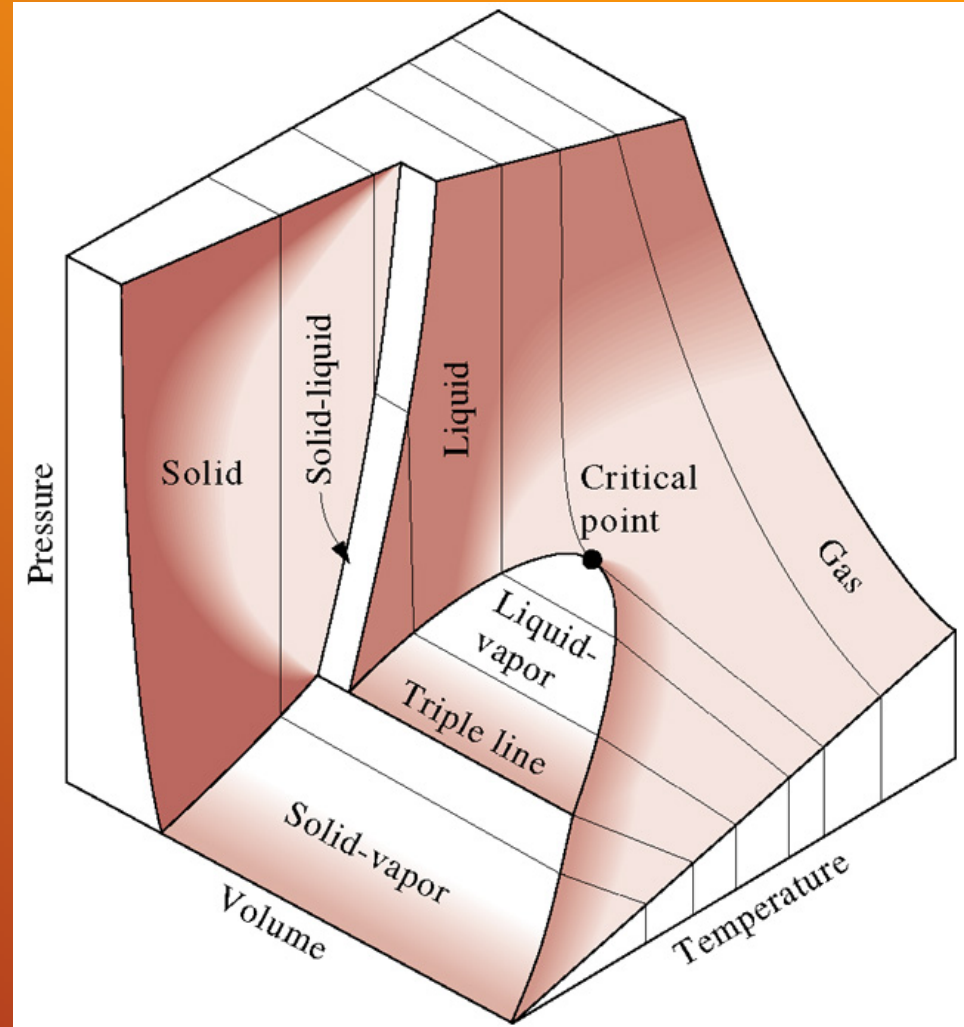
Property Diagrams for Phase-Change Processes :: P - T Diagram





Property Diagrams for Phase-Change Processes :: P - v - T Surface

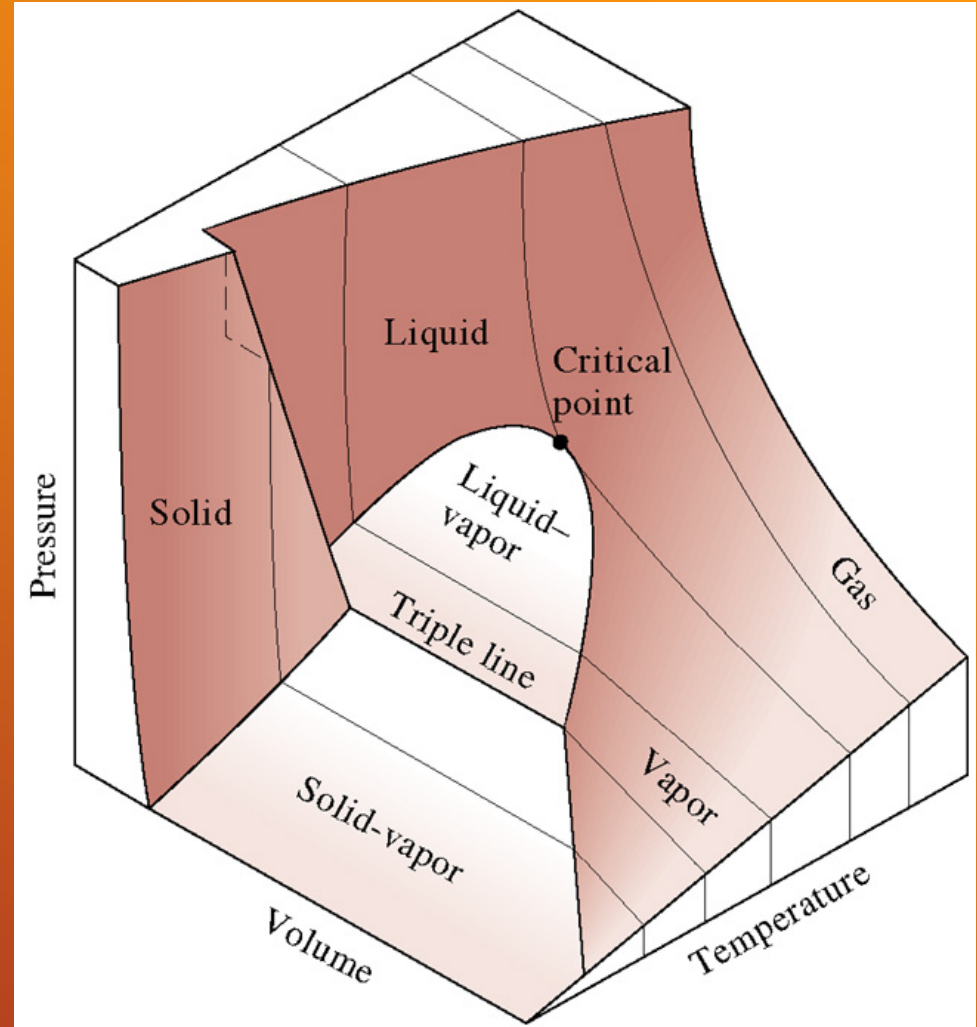
P - v - T surface of a substance that *contracts* on freezing.





Property Diagrams for Phase-Change Processes :: P - v - T Surface

P - v - T surface of a substance that *expands* on freezing. (like water)





Enthalpy

- ◆ Enthalpy is a combination property

$$H = U + PV \quad (\text{kJ})$$

- ◆ Enthalpy per unit mass

$$h = u + Pv \quad (\text{kJ/kg})$$



Saturated Liquid and Saturated Vapor States

Table A-4

Temp. °C T	Sat. press kPa P_{sat}	Specific volume m^3/kg	
		Sat. liquid v_f	Sat. vapor v_g
85	57.83	0.001 033	2.828
90	70.14	0.001 036	2.361
95	84.55	0.001 040	1.982

Specific temperature

Corresponding saturation pressure

Specific volume of saturated liquid

Specific volume of saturated vapor



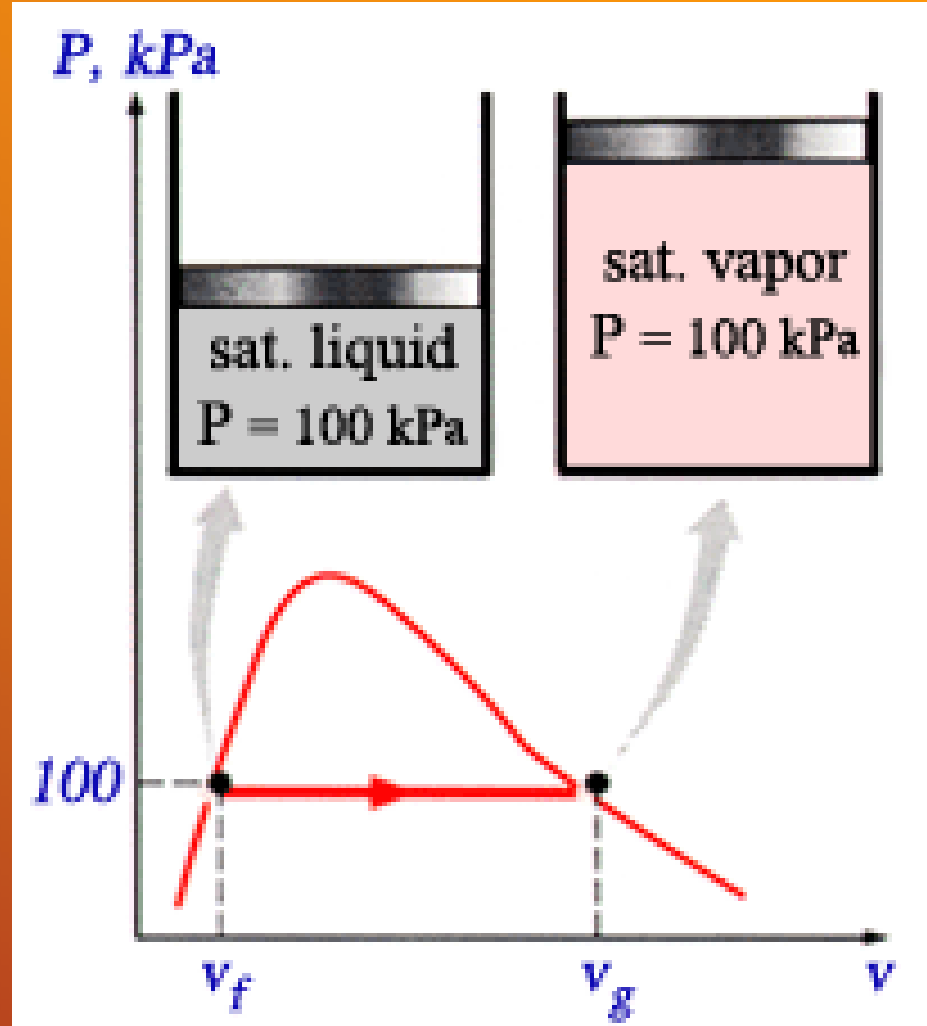
Saturated Liquid and Saturated Vapor States

$T, ^\circ\text{C}$	$v,$ m^3/kg	$u,$ kJ/kg	$h,$ kJ/kg
$P = 0.1 \text{ MPa} (99.63^\circ\text{C})$			
Sat.	1.6940	2506.1	2675.5
100	1.6958	2506.7	2676.2
150	1.9364	2582.8	2776.4
$\vdots$	$\vdots$	$\vdots$	$\vdots$
1300	7.260	4683.5	5409.5
$P = 0.5 \text{ MPa} (151.86^\circ\text{C})$			
Sat.	0.3749	2561.2	2748.7
200	0.4249	2642.9	2855.4
250	0.4744	2723.5	2960.7



Example

A mass of 200 gm of saturated liquid water is completely vaporized at a constant pressure of 100 kPa. Determine the volume change of the water.





Saturated Liquid-Vapor Mixture

To analyze the mixture of saturated liquid and saturated vapor, the proportions of the liquid and vapor phases in the mixture needs to be known.

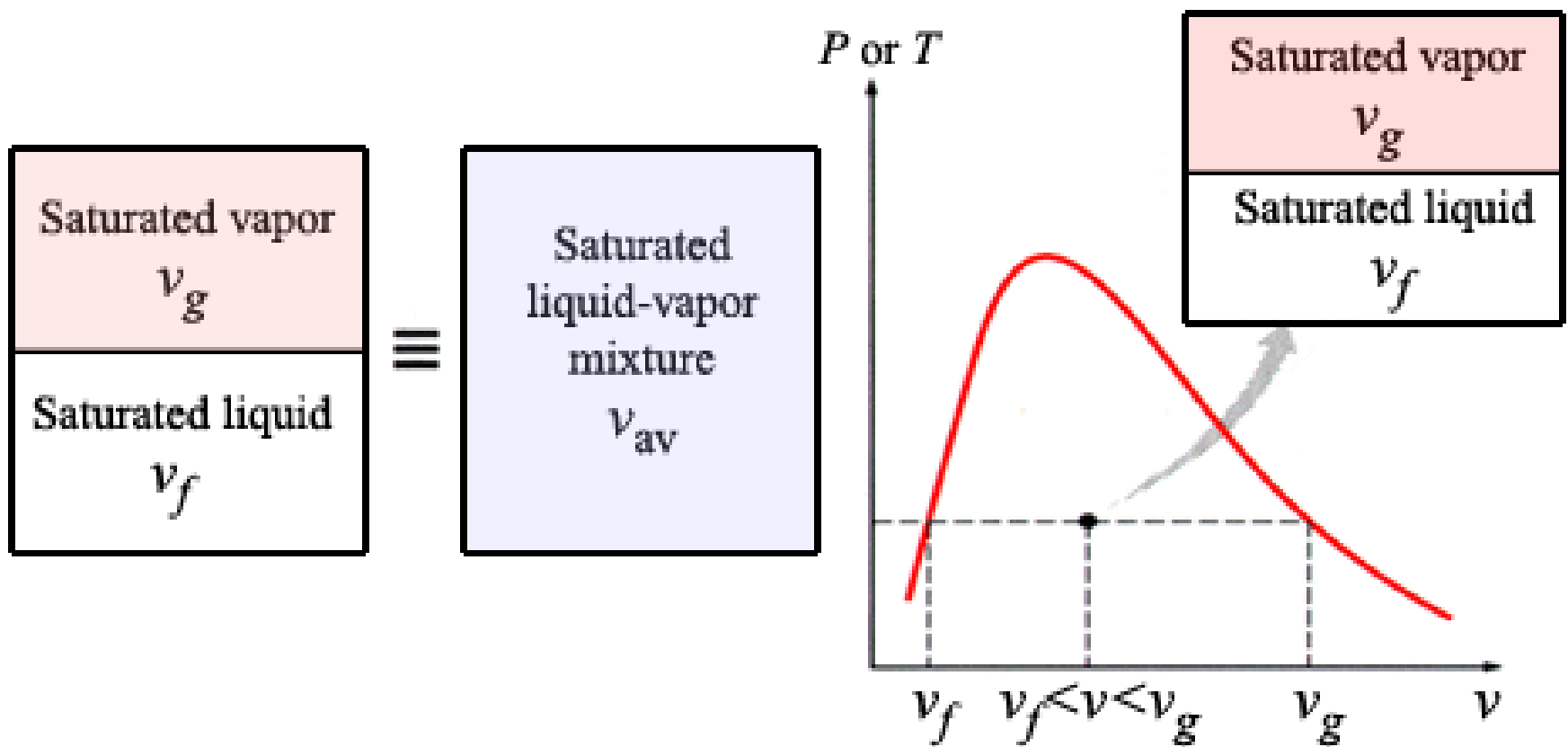
$$\text{Quality} :: x = \frac{m_{\text{vapor}}}{m_{\text{total}}}$$

$$\text{where } m_{\text{total}} = m_{\text{liquid}} + m_{\text{vapor}} = m_f + m_g$$



Saturated Liquid-Vapor Mixture

Saturated Liquid-Vapor Mixture





Saturated Liquid-Vapor Mixture

Average value of specific volume and quality

$$V = V_f + V_g$$

$$m_t v_{av} = m_f v_f + m_g v_g$$

$$m_t v_{av} = (m_t - m_g) v_f + m_g v_g$$

$$v_{av} = (1 - x) v_f + x v_g$$

$$v_{av} = v_f + x v_{fg}$$

$$x = \frac{v_{av} - v_f}{v_{fg}}$$



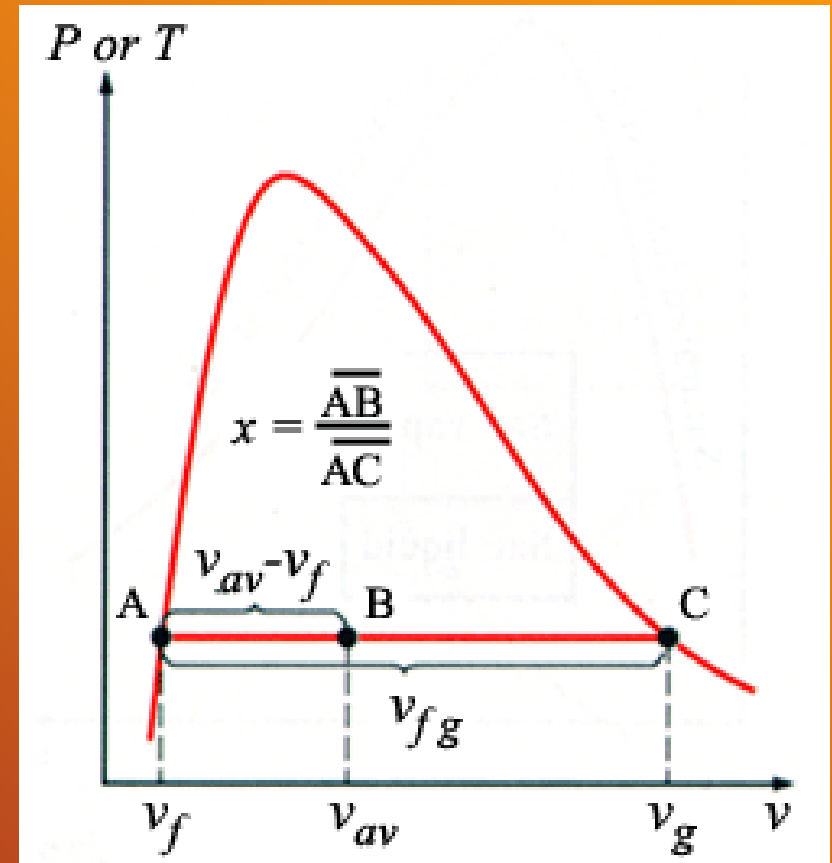
Saturated Liquid-Vapor Mixture

Average of internal energy, enthalpy and other properties

$$u_{av} = u_f + xu_{fg}$$

$$h_{av} = h_f + xh_{fg}$$

$$y_{av} = y_f + xy_{fg}$$

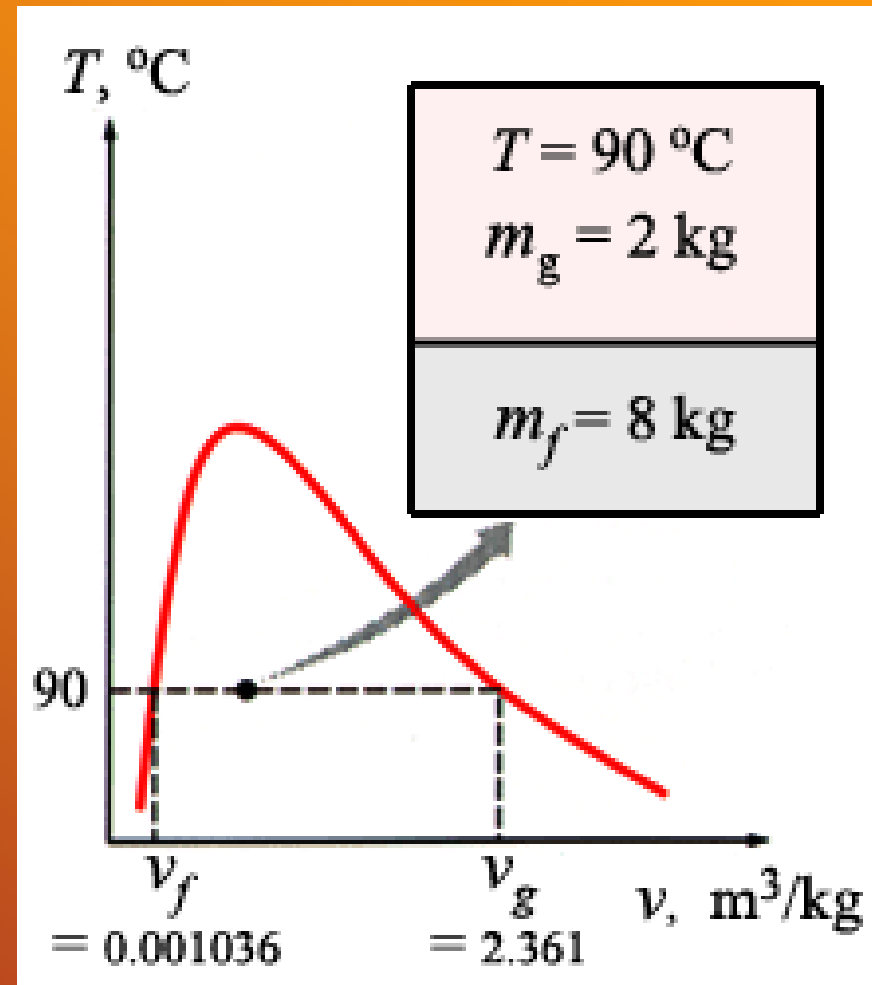




Example

A rigid tank contains 10 kg of water at 90 °C. If 8 kg of the water is in the liquid form and the rest is in the vapor form, determine

- the pressure in the tank and
- the volume of the tank.





Example

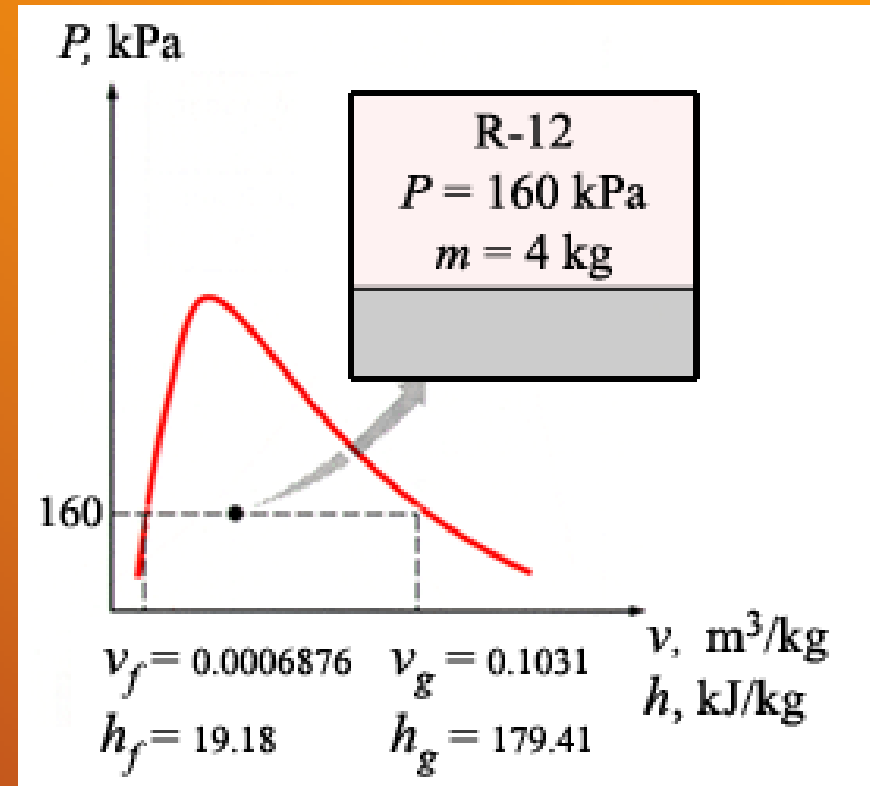
An 80-L vessel contains 4 kg of refrigerant-12 at a pressure of 160 kPa. Determine

(a) the temperature of the refrigerant,

(b) the quality,

(c) the enthalpy of the refrigerant, and

(d) the volume occupied by the vapor phase.





Superheated Vapor

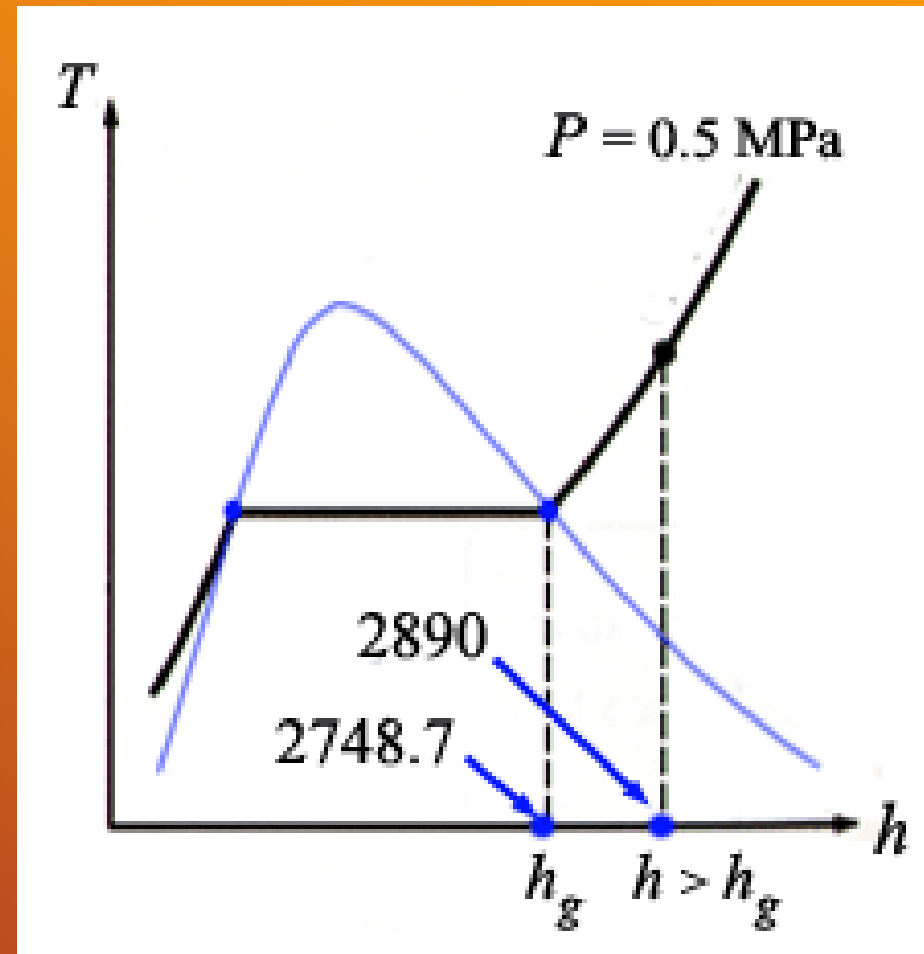
- ✦ Lower pressures
($P < P_{sat}$ at a given T)
- ✦ Higher temperatures
($T > T_{sat}$ at a given P)
- ✦ Higher specific volumes
($v > v_g$ at a given P or T)
- ✦ Higher internal energies
($u > u_g$ at a given P or T)
- ✦ Higher enthalpies
($h > h_g$ at a given P or T)

$T, ^\circ\text{C}$	$v,$ m^3/kg	$u,$ kJ/kg	$h,$ kJ/kg
$P = 0.1 \text{ MPa} (99.63^\circ\text{C})$			
Sat.	1.6940	2506.1	2675.5
100	1.6958	2506.7	2676.2
150	1.9364	2582.8	2776.4
⋮	⋮	⋮	⋮
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Example

Determine the temperature of water at a state of $P = 0.5$ MPa and $h = 2890$ kJ/kg.





Compressed Liquid

- ✦ Variation of properties in compressed liquid with pressure is very mild.
- ✦ A general approximation is to *treat compressed liquid as saturated liquid* **at the given temperature.**

$$y \approx y_f @ T$$



Compressed Liquid

- ◆ Higher pressures ($P > P_{sat}$ at a given T)
- ◆ Lower temperatures ($T < T_{sat}$ at a given P)
- ◆ Lower specific volumes ($v < v_g$ at a given P or T)
- ◆ Lower internal energies ($u < u_g$ at a given P or T)
- ◆ Lower enthalpies ($h < h_g$ at a given P or T)



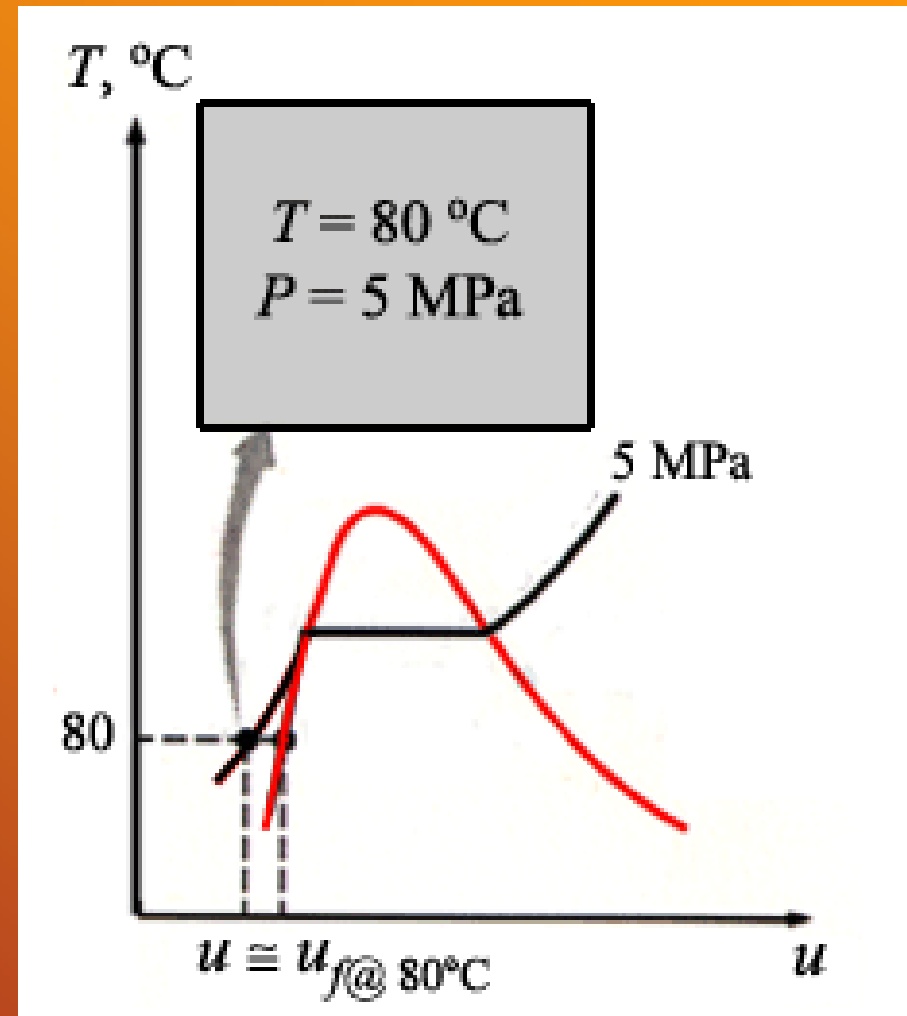
Example

Determine the internal energy of compressed liquid water at 80°C and 5 MPa , using

(a) data from the compressed liquid table and

(b) saturated liquid data.

What is the error involved in the second case?





Reference State and Reference Values

- ✦ The value of u , h , and s can not be measured directly.
- ✦ They are calculated relatively between thermodynamic properties, not the value at that state.
- ✦ Reference state will give the reference value of **zero**.
- ✦ Example reference state:
 - Water : saturated liquid at 0.01°C
 - R134a : saturated liquid at -40°C



The Ideal-Gas Equation of State

- ✦ Any equation that relates the pressure, temperature, and specific volume of a substance is call an **equation of state**.
- ✦ Property relations that involves other properties of a substance at equilibrium state are also called **equation of state**.



The Ideal-Gas Equation of State

- ✦ The *vapor* phase of a substance is call a *gas* when it is above the critical temperature.
- ✦ *Vapor* usually implies a *gas* that is not far from a state of condensation.
- ✦ At low pressures the volume of a gas is proportional to its temperature.

$$P = R \left(\frac{T}{v} \right) \quad \text{or} \quad Pv = RT$$



The Ideal-Gas Equation of State

✦ The gas constant R is determined from

$$R = \frac{R_u}{M} \quad (\text{kJ/kg} \cdot \text{K} \text{ or } \text{kPa} \cdot \text{m}^3/\text{kg} \cdot \text{K})$$

$$R_u = \begin{cases} 8.314 \text{ kJ/kmol} \cdot \text{K} \\ 8.314 \text{ kPa} \cdot \text{m}^3/\text{kg} \cdot \text{K} \\ 0.08314 \text{ bar} \cdot \text{m}^3/\text{kg} \cdot \text{K} \\ 1.986 \text{ Btu/lbmol} \cdot \text{R} \\ 10.73 \text{ psia} \cdot \text{ft}^3/\text{lbmol} \cdot \text{R} \\ 1545 \text{ ft} \cdot \text{lbf/lbmol} \cdot \text{R} \end{cases}$$

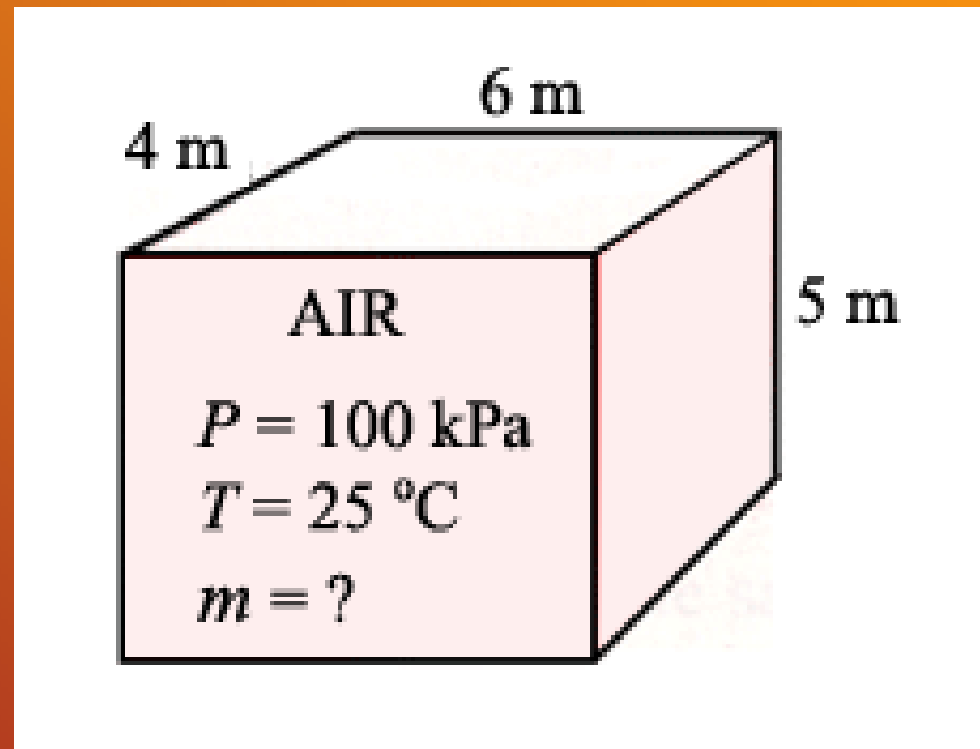
Molar mass M is the mass of one mole called gram-mole of a substance in grams or the mass of one kmol called kilogram-mole in kilograms.

Universal gas constant



Example

Determine the mass of the air in a room whose dimension are $4\text{m} \times 5\text{m} \times 6\text{m}$ at 100 kPa and 25°C .

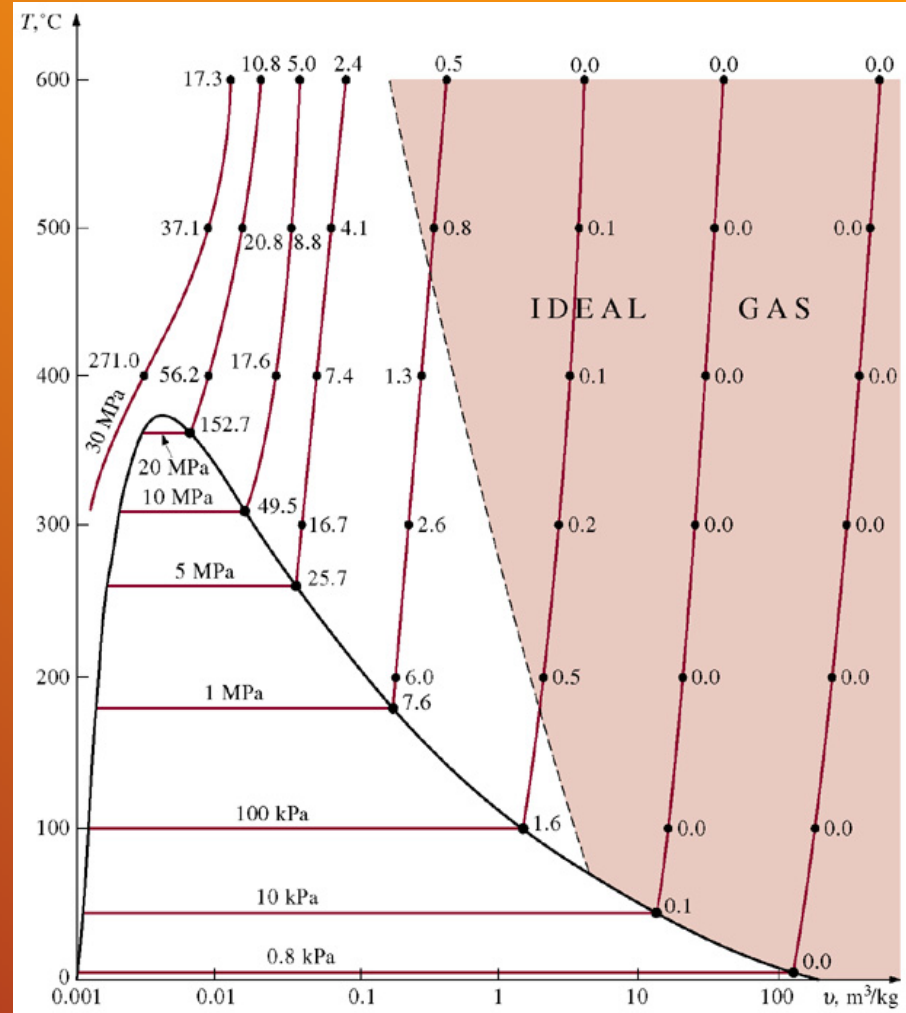




Compressibility Factor

A Measure of Deviation from Ideal-Gas Behavior

Percentage of error involved in assuming steam to be an ideal gas, and the region where steam can be treated as an ideal gas with less than 1 percent error.





Compressibility Factor

A Measure of Deviation from Ideal-Gas Behavior

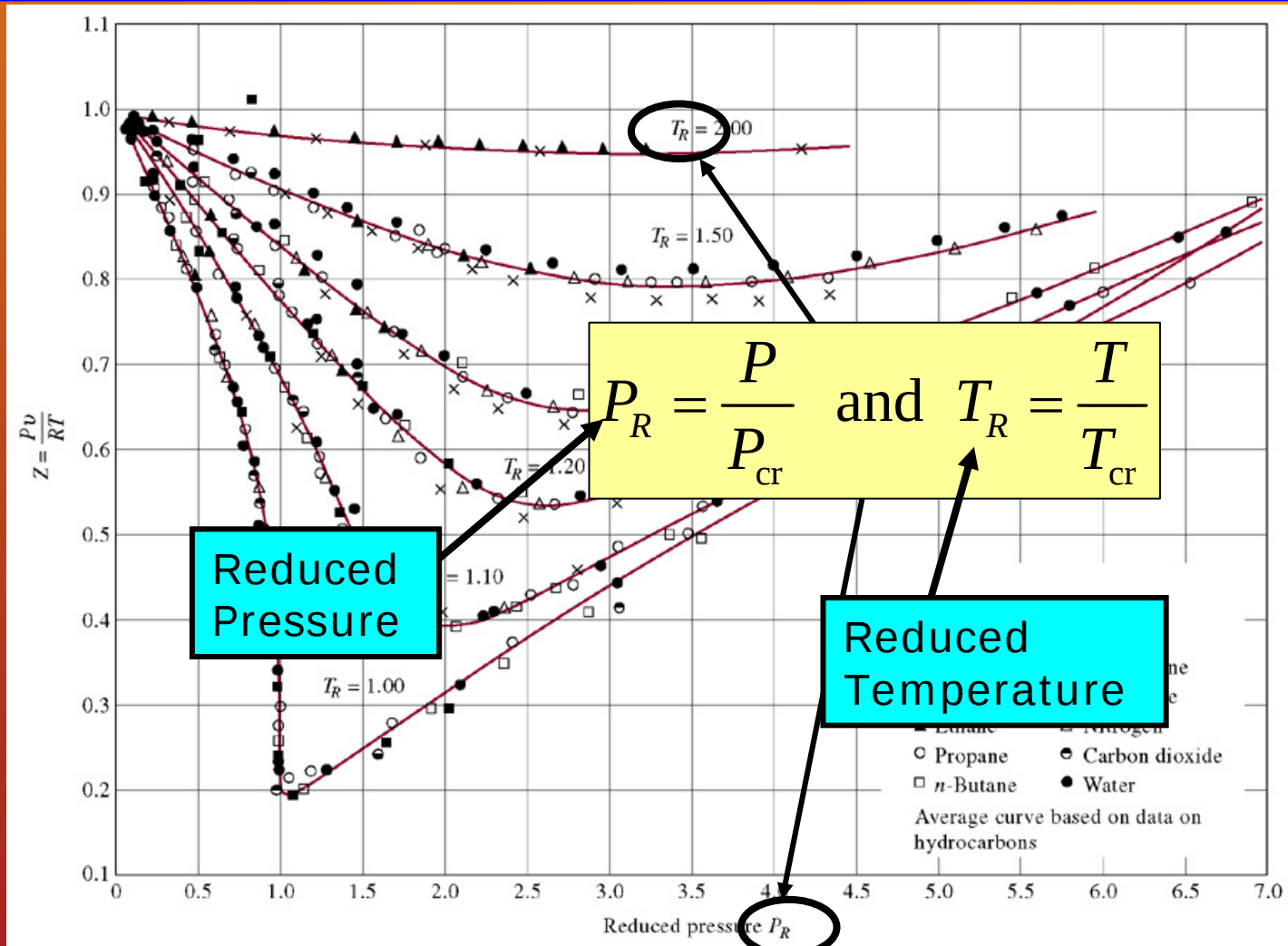
- ✦ The deviation from ideal-gas behavior at a given temperature and pressure can accurately be accounted for by a correction factor called compressibility factor, Z .

$$Z = \frac{Pv}{RT} \quad \text{or} \quad Pv = ZRT \quad \text{or} \quad Z = \frac{v_{\text{actual}}}{v_{\text{ideal}}}$$



Compressibility Factor

A Measure of Deviation from Ideal-Gas Behavior





Engineering Equation Solver

- ✦ **EES** ('ease') is a revolutionary program which will change the way you think and work.
- ✦ **EES** provides capabilities not found in any other equation solving program.
- ✦ **EES** will solve large sets of non-linear algebraic and differential equations.
- ✦ **EES** also provides publication-quality plots, linear and non-linear regression, optimization, unit conversion and consistency checking, and uncertainty analyses.
- ✦ Built-in functions are provided for thermodynamic and transport properties of many substances, including steam, air, refrigerants, cryogenic fluids, JANAF table gases, hydrocarbons and psychrometrics.



Engineering Equation Solver

EES Commercial: C:\PROGRAM FILES\EES32\USERLIB\EXAMPLES\Property_Calculator.ees

File Edit Search Options Calculate Tables Plots Windows Help Examples

Equations Window

```
If (StringPos('Temperature',Prop2$)>0) then Call Error('Both properties cannot be Temperature, T=xxx°F',T)
if (StringPos('Pressure',Prop2$)>0) then
```

Diagram Window

Specify two independent properties to find all other properties
(Reasonable values must be supplied)

Unit System: **SI** Select a fluid: **Steam** **Info**

Specify one independent variable
Pressure = **200** [kPa]

Specify another independent variable
Temperature = **300** [C]

T = 300.0 [C]	p = 200.0 [kPa]	h = 3071.4 [kJ/kg]
s = 7.892 [kJ/kg-K]	u = 2808.2 [kJ/kg]	v = 1.3162 [m³/kg]

x = 100.00 - the fluid is in the superheated region.
Note: EES returns quality (x) to be -100 for a compressed liquid state and +100 for a superheated state

Calculate **Plot T-s** **Plot T-v** **Plot P-v** **Plot P-h** **Plot h-s**

end if (Str
end if (Str
end if (Str

v=vardez
p=Pressure(F\$,T=T,v=v)